| Question <br> Number | Answer | Mark |
| :--- | :--- | :--- |
| $\mathbf{1}$ | The graph for sample A (for small extensions obeys Hooke's law as it ) |  |
| is a straight line | (1) |  |
|  | through the origin | $\mathbf{( 1 )}$ |



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| 3 (a) | Line not straight OR gradient not constant Force not proportional to extension OR to obey Hooke's Law, force should be proportional to extension | (1) <br> (1) | 2 |
| 3 (b) | Use of area under graph Work done $=2.5 \mathrm{~J}$ <br> Example of calculation $0.5 \times 15 \times 0.33=2.48 \mathrm{~J}$ <br> OR 1255 squares $\times 2 \times 10^{-3} \mathrm{~J}=2.51 \mathrm{~J}$ | $\begin{aligned} & \text { (1) } \\ & \text { (1) } \end{aligned}$ | 2 |
| 3 (c) | Elastic (tries to) return to a smaller/original length (So) will be in tension OR applies force /pull | $\begin{aligned} & \hline \text { (1) } \\ & \text { (1) } \end{aligned}$ | 2 |
| 3 (d) | Work done stretching the elastic greater OR area under stretching>area under releasing OR the area between the two lines represents the energy <br> (So) energy must be dissipated (in process) OR energy transferred as heat OR energy transferred to internal energy | (1) (1) | 2 |
|  | Total for question |  | 8 |


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| :---: | :---: | :---: | :---: |
| 4(a) | $\begin{aligned} & \text { Use of } F=k x \\ & k=32\left(\mathrm{~N} \mathrm{~m}^{-1}\right) \end{aligned}$ <br> Example of calculation $k=\frac{3.9 \mathrm{~N}}{\mathrm{a} .122 \mathrm{~m}}=32.0 \mathrm{~N} \mathrm{~m}^{-1}$ | $\begin{aligned} & \text { (1) } \\ & (1) \end{aligned}$ | 2 |
| 4(b)(i) | $\begin{aligned} & \text { Use of } F=k x \mathbf{~ O R ~} F=m a \\ & F=4.1 \text { (N) (ecf) } \end{aligned}$ $\begin{aligned} & \text { Example of calculation } \\ & F=31.97 \mathrm{~N} \mathrm{~m}^{-1} \times 0.127 \mathrm{~m} \\ & F=4.06 \mathrm{~N} \end{aligned}$ <br> OR $\begin{aligned} & F=0.4 \mathrm{~kg} \mathrm{x}^{2}\left(9.81 \mathrm{~m} \mathrm{~s}^{-2}+0.4 \mathrm{~m} \mathrm{~s}^{-2}\right) \\ & F=4.08 \mathrm{~N} \end{aligned}$ | $\begin{aligned} & \hline \text { (1) } \\ & \text { (1) } \end{aligned}$ | 2 |
| 4(b)(ii) | Max 2 <br> Can be answered using a description: <br> Resultant force = force of spring on mass - weight <br> Substitution of resultant force into $F=m a$ <br> OR <br> Could be answered using a calculation e.g. $\begin{aligned} & F=4.06 \mathrm{~N}-3.9 \mathrm{~N} \\ & a=\underline{0.16 \mathrm{~N}} \mathbf{~ O R} \text { clear substitution of any force into this equation. } \\ & 0.4 \mathrm{~m} \mathrm{~s}^{-2} \end{aligned}$ | (1) <br> (1) <br> (1) <br> (1) | 2 |
| 4(b)(iii) | Use of $v=u+a t$ $v=0.8 \mathrm{~m} \mathrm{~s}^{-1}$ (allow ecf) <br> Example of calculation $v=0+(0.4 \times 2)=0.8 \mathrm{~m} \mathrm{~s}^{-1}$ | $\begin{aligned} & \hline \text { (1) } \\ & \text { (1) } \end{aligned}$ | 2 |
| 4(b)(iv) | Graph correct shape i.e. 1 region of acceleration, 1 region of deceleration Constant velocity between |  | 2 |
| 4(b)(v) | Use of area under graph to find distance OR use of appropriate equations of motion <br> Distance $=4.0 \mathrm{~m}$ (correct answer only) <br> Example of calculation $\begin{aligned} & \text { Area }=\left(1 / 2 \times 2 \mathrm{~s} \times 0.8 \mathrm{~m} \mathrm{~s}^{-1}\right)+\left(3 \mathrm{~s} \times 0.8 \mathrm{~m} \mathrm{~s}^{-1}\right)+\left(1 / 2 \times 2 \mathrm{~s} \times 0.8 \mathrm{~m} \mathrm{~s}^{-1}\right) \\ & \text { Area }=4.0 \mathrm{~m} \end{aligned}$ | (1) (1) | 2 |
| 4(b)(vi) | Spring extended beyond static extension OR extension increased at start (So) resultant force upwards |  | 2 |
|  | Total for question |  | 14 |


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| :---: | :---: | :---: |
| 5 (a) | Explain whether the spring obeys Hooke's law. <br> States: <br> Straight line shown / constant gradient <br> (So) extension or change in length proportional to force <br> (accept $\Delta x$ or $\Delta l$ or e proportional to F) / k constant <br> (Yes, because extension or change in length proportional to force gets 2) | (1) (1) |
| 5 (b) | Show that the stiffness of the spring is about $20 \mathrm{~N} \mathrm{~m}^{-1}$ <br> Indication of use of (inverse) gradient, e.g. $k=F / \Delta x$ or with values obtainable from graph (accept extension/ force for first mark) <br> Substitution of values as force/ extension <br> Correct answer ( $16\left(\mathrm{~N} \mathrm{~m}^{-1}\right)$ ) <br> Example of calculation $\begin{aligned} & \mathrm{k}=\mathrm{F} / \Delta \mathrm{x} \\ & \mathrm{k}=1.6 \mathrm{~N} /(0.51 \mathrm{~m}-0.41 \mathrm{~m}) \\ & \mathrm{k}=1.6 \mathrm{~N} / 0.1 \mathrm{~m} \\ & =16 \mathrm{~N} \mathrm{~m}^{-1} \end{aligned}$ | (1) (1) (1) |
| 5 (c) (i) | Calculate force on spring <br> Use of $F=k \Delta x$ (must be extension, not length) Correct answer (5.1 N) [ecf] $\begin{aligned} & \text { Example of calculation } \\ & \begin{array}{l} \mathrm{F}=\mathrm{k} \Delta \mathrm{x} \\ =16 \mathrm{~N} \mathrm{~m}^{-1} \times(0.41 \mathrm{~m}-0.09 \mathrm{~m}) \\ =5.1 \mathrm{~N} \end{array} \end{aligned}$ $\text { (Use of } 20 \mathrm{~N} \mathrm{~m}^{-1} \rightarrow 6.4 \mathrm{~N} \text { ) }$ | (1) (1) |
| $5 \text { (c) }$ <br> (ii) | Calculate energy stored <br> Use of $\mathrm{E}=1 / 2 \mathrm{~F} \Delta \mathrm{x}==1 / 2 \mathrm{k}(\Delta \mathrm{x})^{2}$ Correct answer (0.82 J) <br> Example of calculation $\begin{aligned} & \mathrm{E}=1 / 2 \mathrm{~F} \Delta \mathrm{x} \\ & =0.5 \times 5.1 \mathrm{~N} \times(0.41 \mathrm{~m}-0.09 \mathrm{~m}) \\ & =0.82 \mathrm{~J} \end{aligned}$ | (1) |


| 5 (d) | Explain effect on spring |  |
| :--- | :--- | ---: |
|  | QWC - spelling of technical terms must be correct and the answer <br> must be organised in a logical sequence |  |
|  | Change in length greater / compression greater <br> More force <br> More elastic energy / more strain energy / more energy stored / <br> more potential energy / greater $1 / 2 \mathrm{k}(\Delta \mathrm{x})^{2} /$ more work done (on <br> spring) <br> Greater acceleration <br> (Therefore) more kinetic energy <br> (and) greater speed | (1) |
|  | (1) <br> Total for question | (1) |


| Question Number | Answer |  | Mark |
| :---: | :---: | :---: | :---: |
| 6(a) | $\begin{aligned} & \text { Use of } W=m g \\ & \text { Use of } F=(-) k x \\ & k=123\left(\mathrm{~N} \mathrm{~m}^{-1}\right) \\ & \text { (use of } g=10 \mathrm{~N} \mathrm{~kg}^{-1} \rightarrow 125\left(\mathrm{~N} \mathrm{~m}^{-1}\right) \text { scores } 2 \text { marks) } \\ & \\ & \text { Example of calculation } \\ & W=0.1 \mathrm{~kg} \times 9.81 \mathrm{~N} \mathrm{~kg}^{-1}=0.981 \mathrm{~N} \\ & (-) 0.981 \mathrm{~N}=(-) k \times 0.008 \mathrm{~m} \\ & k=122.6 \mathrm{~N} \mathrm{~m}^{-1} \end{aligned}$ | $\begin{aligned} & \hline \text { (1) } \\ & \text { (1) } \\ & \text { (1) } \end{aligned}$ | 3 |
| 6(b) | (If the load is too high) the elastic limit (of the spring) will be exceeded Or the maximum load is at the elastic limit (accept $1.2 \mathrm{~kg} / 12 \mathrm{~N}$ for maximum load) <br> The spring will not return to its original length/position Or the spring will be permanently deformed <br> The idea that the calibrations of the scale will not be correct e.g. the calibration/scale is now incorrect/inaccurate $\mathbf{O r}$ the spring constant will change <br> (Accept converse argument for keeping the load below the maximum load) | (1) <br> (1) <br> (1) | 3 |
|  | Total for question |  | 6 |

